



CR 343(3) Tenth West

Alignment Notes

82 0020

1974~~4~~

# Weatherproof Field Book

"*Rite in the Rain*" paper

32 pages

4<sup>5</sup>/<sub>8</sub>" x 7<sup>1</sup>/<sub>4</sub>"

Keuffel & Esser Co., Morristown, N. J. 07960 Made in U.S.A.

ALIGNMENT CR343(3)

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### CURVE FORMULAS

$$T = R \tan \frac{1}{2} I$$

$$T = \frac{50 \tan \frac{1}{2} I}{\text{Sin. } \frac{1}{2} D}$$

$$\text{Sin. } \frac{1}{2} D = \frac{50}{R}$$

$$\text{Sin. } \frac{1}{2} D = \frac{50 \tan \frac{1}{2} I}{T}$$

$$R = T \cot. \frac{1}{2} I$$

$$R = \frac{50}{\text{Sin. } \frac{1}{2} D}$$

$$E = R \text{ ex. sec } \frac{1}{2} I$$

$$E = T \tan \frac{1}{4} I$$

$$\text{Chord def.} = \frac{\text{chord}^2}{R}$$

$$\text{No. chords} = \frac{I}{D}$$

$$\text{Tan. def.} = \frac{1}{2} \text{ chord def.}$$

The square of any distance, divided by twice the radius, will equal the distance from tangent to curve, very nearly.

To find angle for a given distance and deflection.

Rule 1. Multiply the given distance by .01745 (def. for 1° for 1 ft.) and divide given deflection by the product.

Rule 2. Multiply given deflection by 57.3, and divide the product by the given distance.

To find deflection for a given angle and distance. Multiply the angle by .01745, and the product by the distance.

### GENERAL DATA

RIGHT ANGLE TRIANGLES. Square the altitude, divide by twice the base. Add quotient to base for hypotenuse.

Given Base 100, Alt. 10.  $10 \cdot 10^2 \div 200 = .5$ .  $100 + .5 = 100.5$  hyp.

Given Hyp. 100, Alt. 25.  $25 \cdot 25^2 \div 200 = 3.125$ .  $100 - 3.125 = 96.875 = \text{Base}$ .

Error in first example, .002; in last, .045.

To find Tons of Rail in one mile of track: multiply weight per yard by 11, and divide by 7.

LEVELING. The correction for curvature and refraction, in feet and decimals of feet is equal to  $0.574 d^2$ , where  $d$  is the distance in miles. The correction for curvature alone is closely,  $\frac{1}{3} d^2$ . The combined correction is negative.

PROBABLE ERROR. If  $d_1, d_2, d_3, \text{etc.}$  are the discrepancies of various results from the mean, and if  $\sum d^2 =$  the sum of the squares of these differences and  $n =$  the number of observations, then the probable error of the mean =

$$\pm 0.6745 \sqrt{\frac{\sum d^2}{n(n-1)}}$$

### MINUTES IN DECIMALS OF A DEGREE

1'	.0167	11'	.1833	21'	.3500	31'	.5167	41'	.6833	51'	.8500
2	.0333	12	.2000	22	.3667	32	.5333	42	.7000	52	.8667
3	.0500	13	.2167	23	.3833	33	.5500	43	.7167	53	.8833
4	.0667	14	.2333	24	.4000	34	.5667	44	.7333	54	.9000
5	.0833	15	.2500	25	.4167	35	.5833	45	.7500	55	.9167
6	.1000	16	.2667	26	.4333	36	.6000	46	.7667	56	.9333
7	.1167	17	.2833	27	.4500	37	.6167	47	.7833	57	.9500
8	.1333	18	.3000	28	.4667	38	.6333	48	.8000	58	.9667
9	.1500	19	.3167	29	.4833	39	.6500	49	.8167	59	.9833
10	.1667	20	.3333	30	.5000	40	.6667	50	.8333	60	1.0000

### INCHES IN DECIMALS OF A FOOT

1-16	3-32	1/8	3-16	1/4	5-16	3/8	1/2	5/8	3/4	7/8
.0052	.0078	.0104	.0156	.0208	.0260	.0313	.0417	.0521	.0625	.0729
1	2	3	4	5	6	7	8	9	10	11
.0833	.1667	.2500	.3333	.4167	.5000	.5833	.6667	.7500	.8333	.9167

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Alignment Notes

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156+40<sup>52</sup> Set POT w/ 48' + 50' markers on West-East side  
 Pot is X chiseled on old irrigation Pipe.

156 Note: 10 Sept 74, POT Reset on line  
 from 150+00 to P.C. Sta 163+14<sup>37</sup>  
 Nalanger @ station 156+40<sup>52</sup>

155

154

153

152

151

150+01 R/W marker

150+00

149+69<sup>82</sup> Red head

149+65  
 (200 N ST)

This Book's survey were began 3 Sept 1974 to locate  
 the final line for the 10<sup>th</sup> West Roadway from 2nd N to 10<sup>th</sup> N.  
 It retraces an earlier survey done by Valley Engineering

3 Sept 1974

(S+T) (R/W)

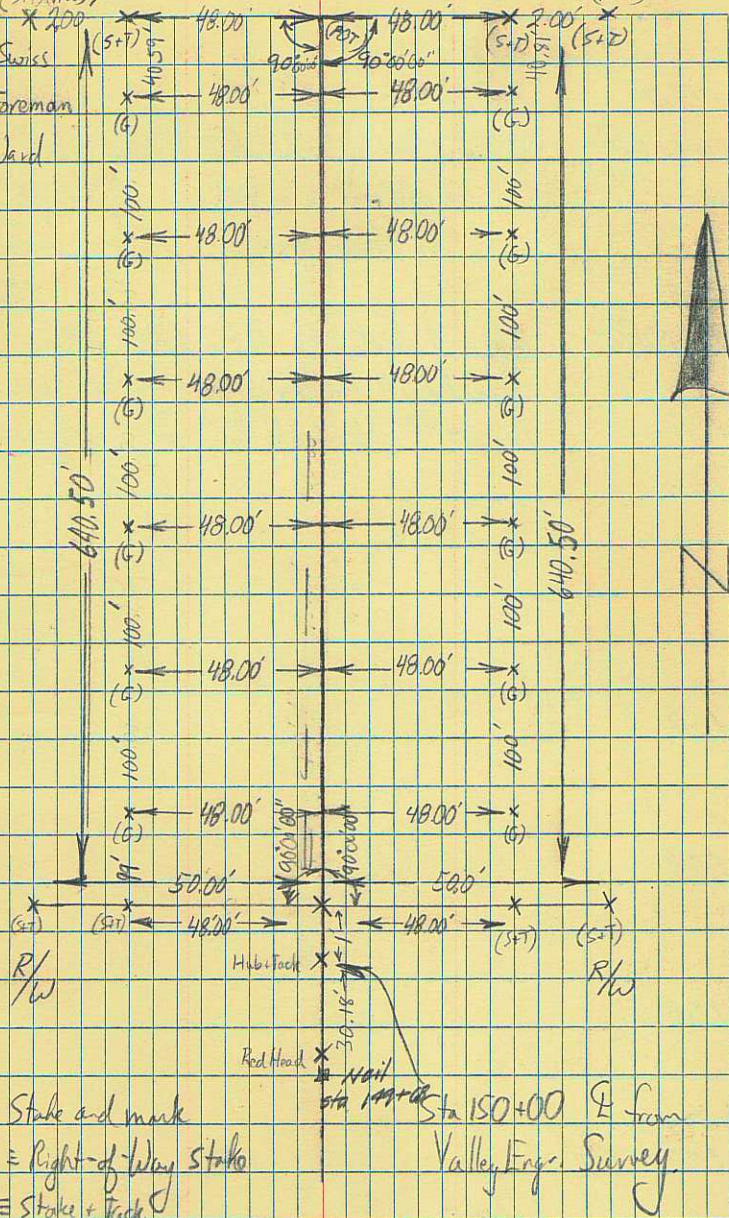
X 200

RE Swiss

G.P. Foreman

P.R. Ward

(R/W) 2



S = Stake and mark

R/W = Right-of-Way Stake

(S+T) = Stake + Track

(C) = Gimme + mark

Sta 150+00 & from  
 Valley Eng. Survey



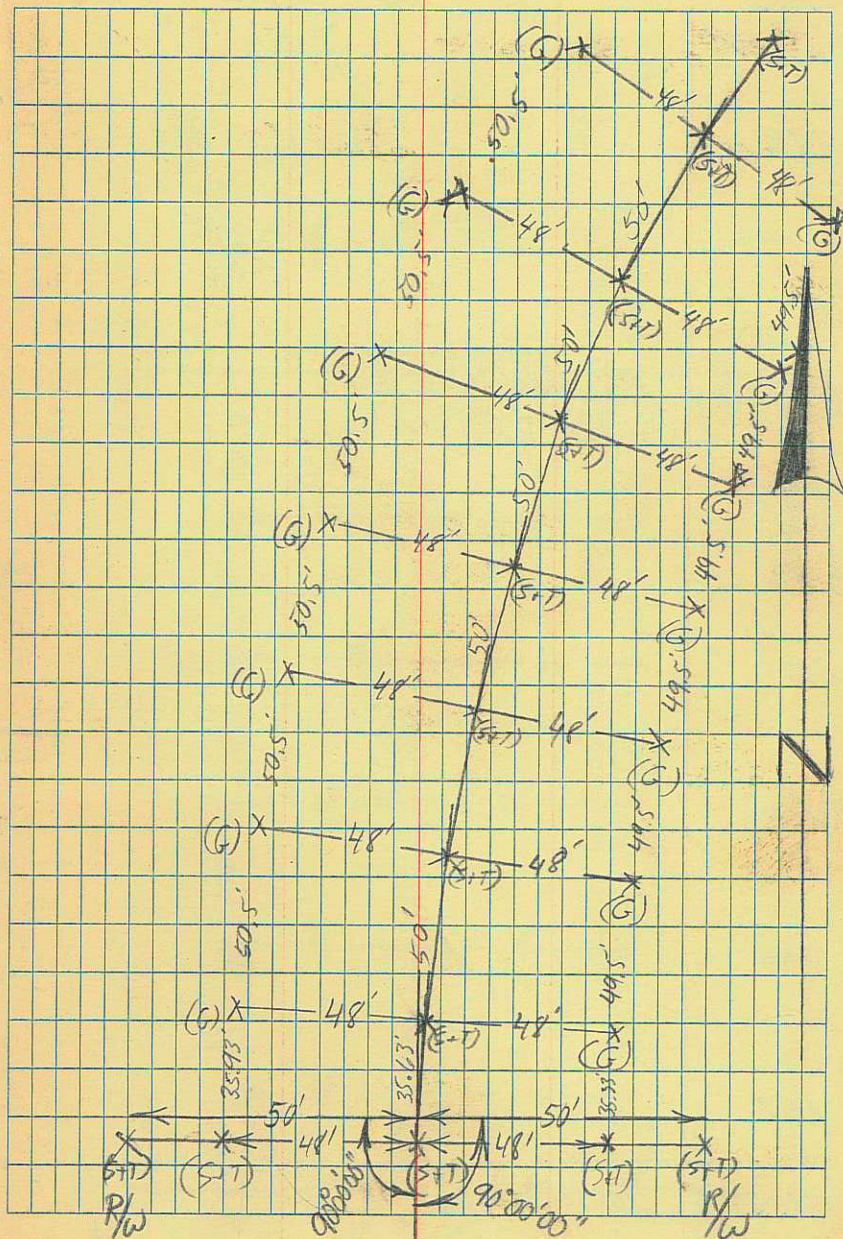




	Lt side RT 4	♀ R#X	RT side RT 4
166+87 <sup>60</sup> PT (Found old PT)	2°08'17"	2°08'16"	2°08'19"
+50	1°55'23"	1°55'21"	1°55'22"
166-	1°38'12"	1°38'10"	1°38'11"
+50	1°21'00"	1°20'59"	1°21'00"
165	B=5000 A=4°16'37" 1°03'48" 1°03'48" 1°03'49" T=186.70 L=373.23 D=1°08'45" 0°46'34" 0°46'34" 0°46'38"		
164-	0°29'26"	0°29'26"	0°29'27"
+50	0°12'14"	0°12'15"	0°12'16"
163+14 <sup>37</sup> PC (Found old PC)			

5 Sept 1974 R.E. Swiss, G.P. Foreman, P.B. Ward

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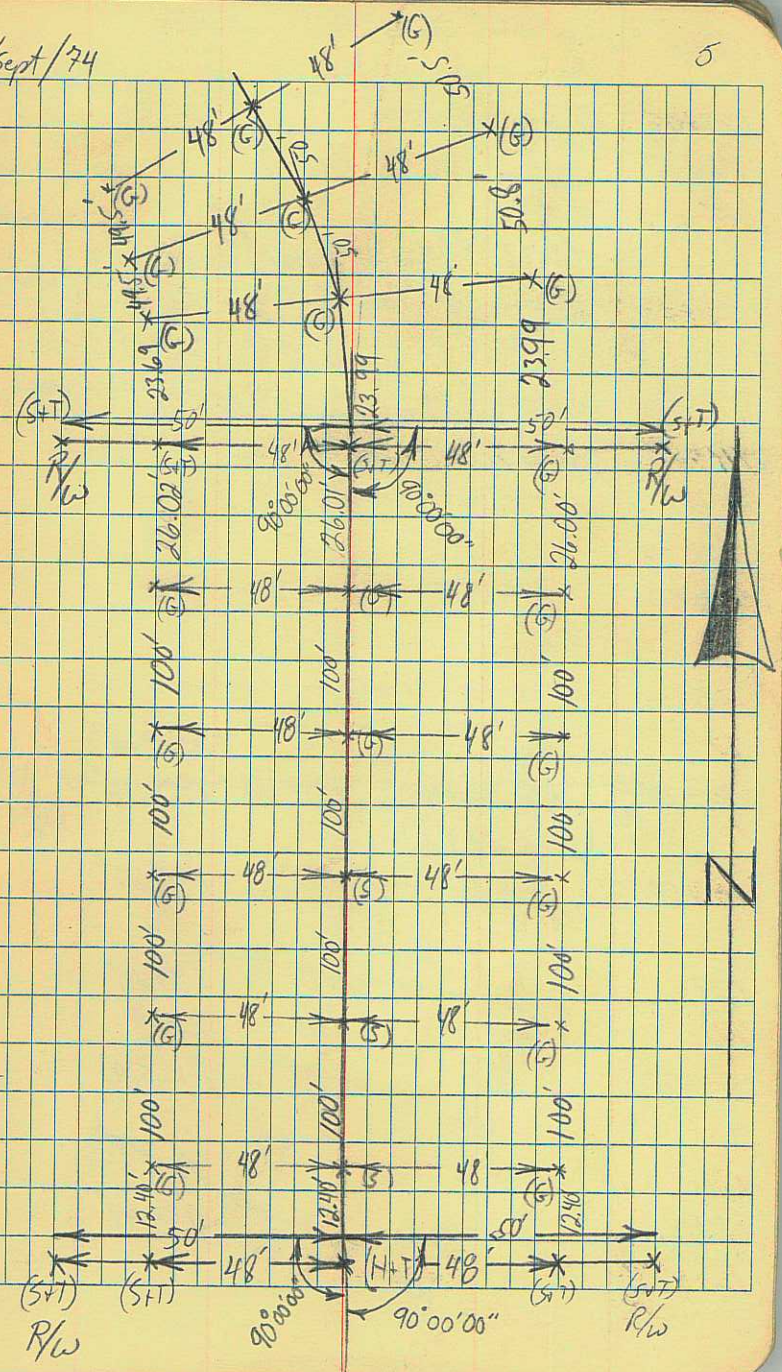




		H* Q
+50		0° 42' 37"
172		0° 25' 26"
+50		0° 8' 15"
171+26 <sup>ol</sup> PT	R/W Marker (Found old P.C.)	
171		
170		
169		
168		
167		
166+87 <sup>ol</sup> PT	R/W Marker	

5/Sept/74

5









185

184

183

182

181

180

179

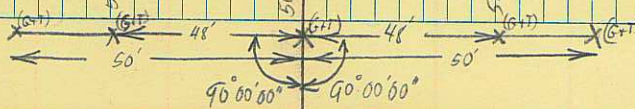
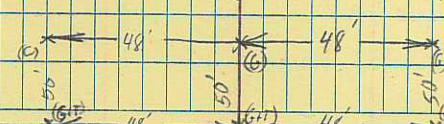
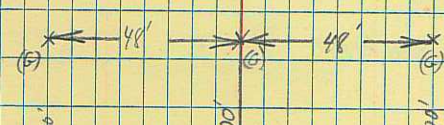
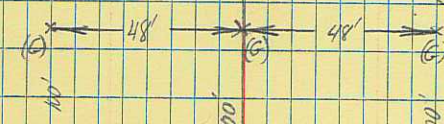
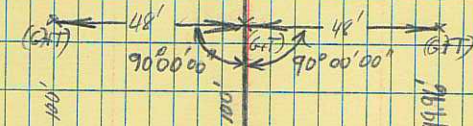
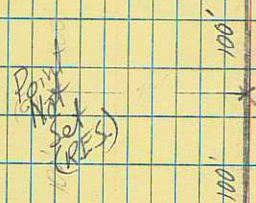
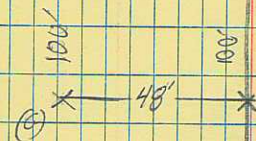
178

177+50

6 Sept 1974

7

R.E. Swiss  
G.P. Foreman  
P.B. Wood









201

200

199

198

197 + 100 Gw Marker

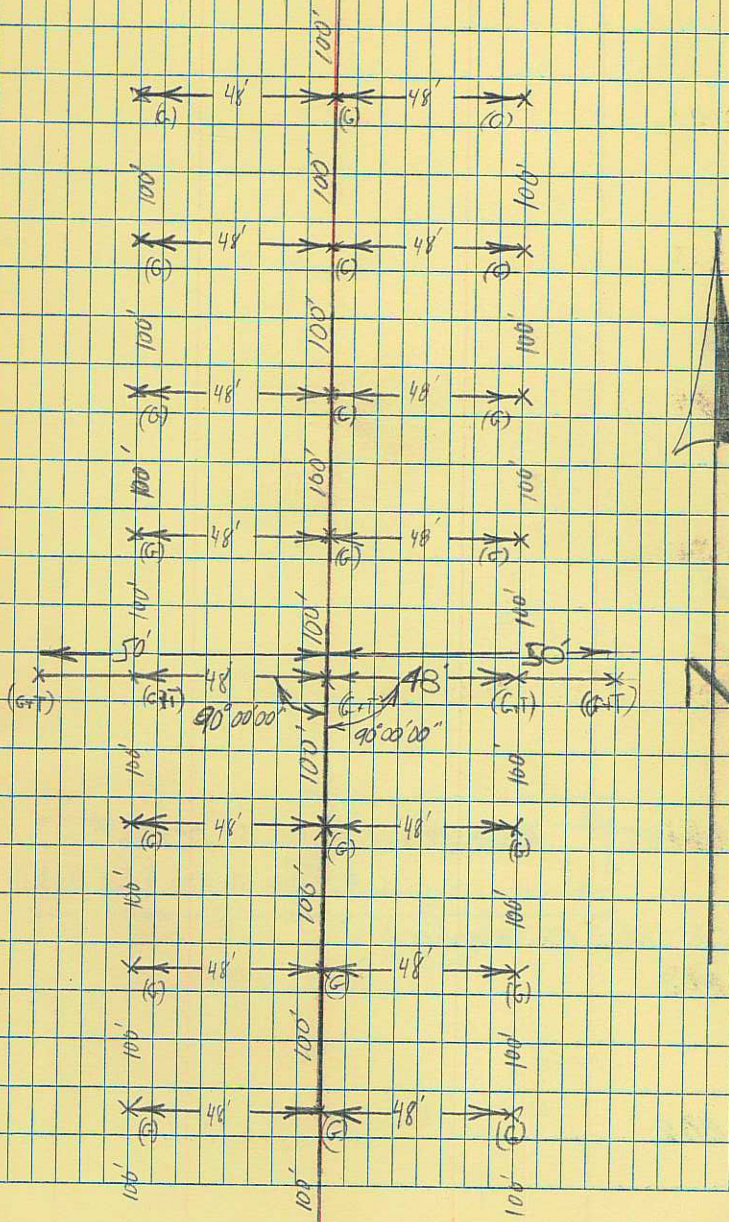
196

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9 Sept 74

9





9 Sept 74

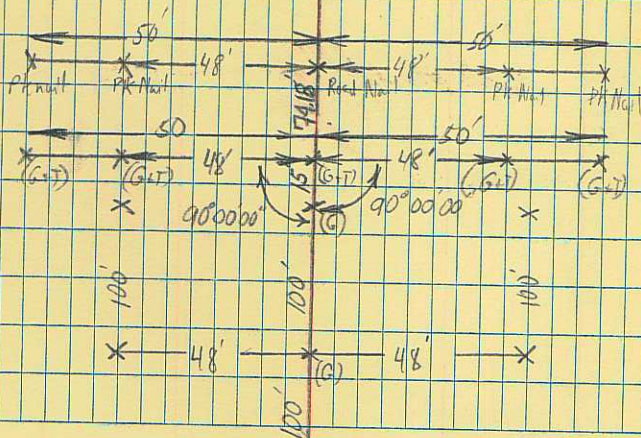
10

203+88<sup>52</sup> Angle Pt. Lt.  $0^{\circ} 5' 03''$  Lt  
Measured 89.18' from Sta 203 to Angle Pt. Nail

203+15 New Marker

203

202





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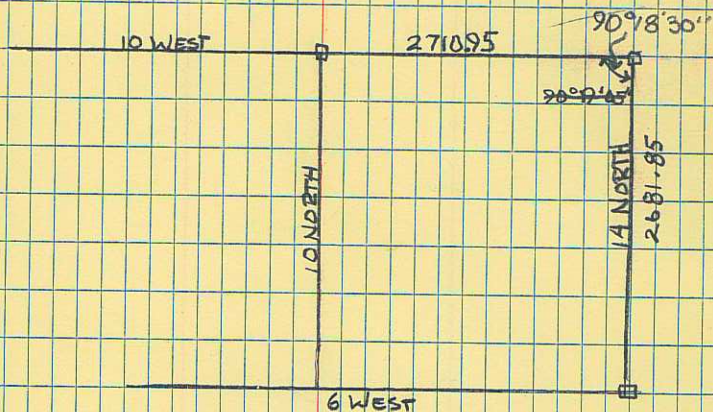
2710.95  $\times$   $90^{\circ}19'54''$   
2681.85  $90^{\circ}18'30''$

203+27

203+88  $\overline{53}$

27 10 95

230+99 47





$$203 \ 88.52$$

$$17A \ 99.24$$

$$28 \ 89.28$$

$$2888.66$$

$$173.13$$

$$173+73 \ B$$

$$174+99 \ 24$$

$$173 \ 13$$

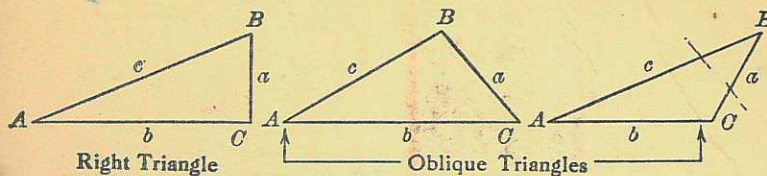
$$176.72 \ 37$$

$$178+73 \ 17$$

$$176 \ 72 \ 37$$

$$80$$

## TRIGONOMETRIC FORMULAS



Right Triangle

Oblique Triangles

### Solution of Right Triangles

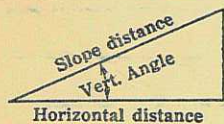
For Angle A.  $\sin = \frac{a}{c}$ ,  $\cos = \frac{b}{c}$ ,  $\tan = \frac{a}{b}$ ,  $\cot = \frac{b}{a}$ ,  $\sec = \frac{c}{b}$ ,  $\operatorname{cosec} = \frac{c}{a}$

Given	Required	Formulas
$\alpha, b$	$A, B, c$	$\tan A = \frac{a}{b} = \cot B$ , $c = \sqrt{a^2 + b^2} = a \sqrt{1 + \frac{b^2}{a^2}}$
$\alpha, c$	$A, B, b$	$\sin A = \frac{a}{c} = \cos B$ , $b = \sqrt{(c+a)(c-a)} = c \sqrt{1 - \frac{a^2}{c^2}}$
$A, \alpha$	$B, b, c$	$B = 90^\circ - A$ , $b = a \cot A$ , $c = \frac{a}{\sin A}$
$A, b$	$B, \alpha, c$	$B = 90^\circ - A$ , $a = b \tan A$ , $c = \frac{b}{\cos A}$
$A, c$	$B, \alpha, b$	$B = 90^\circ - A$ , $a = c \sin A$ , $b = c \cos A$

### Solution of Oblique Triangles

Given	Required	Formulas
$A, B, \alpha$	$b, c, C$	$b = \frac{a \sin B}{\sin A}$ , $C = 180^\circ - (A + B)$ , $c = \frac{a \sin C}{\sin A}$
$A, \alpha, b$	$B, c, C$	$\sin B = \frac{b \sin A}{a}$ , $C = 180^\circ - (A + B)$ , $c = \frac{a \sin C}{\sin A}$
$\alpha, b, C$	$A, B, c$	$A + B = 180^\circ - C$ , $\tan \frac{1}{2}(A - B) = \frac{(a - b) \tan \frac{1}{2}(A + B)}{a + b}$ $c = \frac{a \sin C}{\sin A}$
$\alpha, b, c$	$A, B, C$	$s = \frac{a + b + c}{2}$ , $\sin \frac{1}{2}A = \sqrt{\frac{(s - b)(s - c)}{bc}}$ $\sin \frac{1}{2}B = \sqrt{\frac{(s - a)(s - c)}{ac}}$ , $C = 180^\circ - (A + B)$
$\alpha, b, c$	Area	$s = \frac{a + b + c}{2}$ , $\text{area} = \sqrt{s(s - a)(s - b)(s - c)}$
$A, b, c$	Area	$\text{area} = \frac{bc \sin A}{2}$
$A, B, C, \alpha$	Area	$\text{area} = \frac{a^2 \sin B \sin C}{2 \sin A}$

### REDUCTION TO HORIZONTAL



Horizontal distance

Horizontal distance = Slope distance multiplied by the cosine of the vertical angle. Thus: slope distance = 319.4 ft. Vert. angle =  $5^\circ 10'$ . Since  $\cos 5^\circ 10' = .9959$ , horizontal distance =  $319.4 \times .9959 = 318.09$  ft.  
Horizontal distance also = Slope distance minus slope distance times (1 - cosine of vertical angle). With the same figures as in the preceding example, the following result is obtained.  $\cos 5^\circ 10' = .9959$ .  $1 - .9959 = .0041$ .  $319.4 \times .0041 = 1.31$ .  $319.4 - 1.31 = 318.09$  ft.

When the rise is known, the horizontal distance is approximately the slope distance less the square of the rise divided by twice the slope distance. Thus: rise = 14 ft., slope distance = 302.6 ft. Horizontal distance =  $302.6 - \frac{14 \times 14}{2 \times 302.6} = 302.6 - 0.32 = 302.28$  ft.